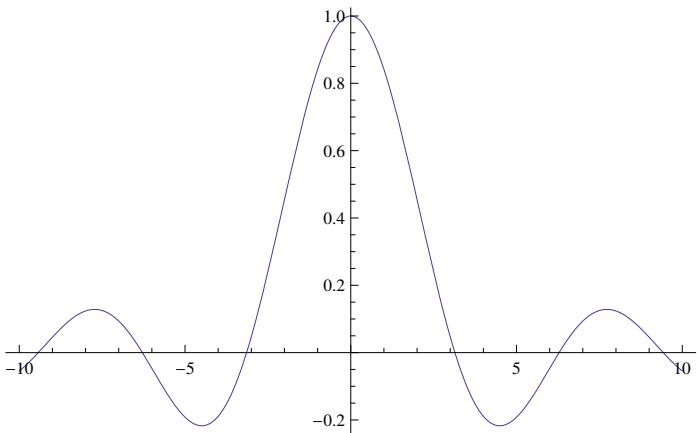
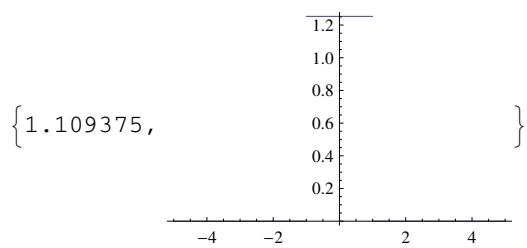


```
(* Elemente der Programmierung, WQ FS 2013 *)
(* Beispiel := gegen = *)
z1 = Random[]
z2 := Random[]
Table[z1, {6}]
Table[z2, {6}]
0.261039
{0.261039, 0.261039, 0.261039, 0.261039, 0.261039, 0.261039}
{0.807207, 0.708977, 0.713343, 0.260002, 0.950567, 0.931403}
```

```
(* Beispiel := gegen = *)
Plot[Sinc[x], {x, -10, 10}]
```



```
g[w_] := FourierTransform[Sinc[t], t, w]
Plot[g[x], {x, -5, 5}] // Timing
```

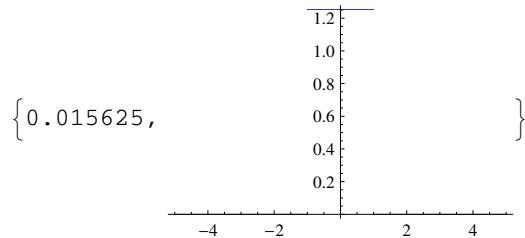


```

h[ω_] = FourierTransform[Sinc[t], t, ω]
Plot[h[x], {x, -5, 5}] // Timing

```

$$\frac{1}{2} \sqrt{\frac{\pi}{2}} (\text{Sign}[1-\omega] + \text{Sign}[1+\omega])$$



```

(* Beispiel := gegen = , sowie := und = *)
fib[n_Integer] := Switch[n, 0, 0, 1, 1, _, fib[n - 1] + fib[n - 2]]

Timing[fib[25]]
{1.062500, 75025}

Timing[fib[29]]
{7.312500, 514229}

Clear[fib]

fib[n_Integer] := fib[n] = Switch[n, 0, 0, 1, 1, _, fib[n - 1] + fib[n - 2]]

Timing[fib[15]]
{0., 610}

? fib

```

```
Global`fib
```

```

fib[0] = 0
fib[1] = 1
fib[2] = 1
fib[3] = 2
fib[4] = 3
fib[5] = 5
fib[6] = 8
fib[7] = 13
fib[8] = 21
fib[9] = 34
fib[10] = 55
fib[11] = 89
fib[12] = 144
fib[13] = 233
fib[14] = 377
fib[15] = 610

fib[n_Integer] := fib[n] = Switch[n,
  0, 0,
  1, 1,
  _, fib[n - 1] + fib[n - 2]]

Timing[fib[111]]
{0., 70492524767089125814114}

(* aber Rekursionstiefe noch beschraenkt,
im Modul geht es noch besser: beachte Buendelzuweisung! *)
fibM[n_Integer] := Module[{a = 0, b = 1}, Do[{a, b} = {b, a + b}, {n}]; a]

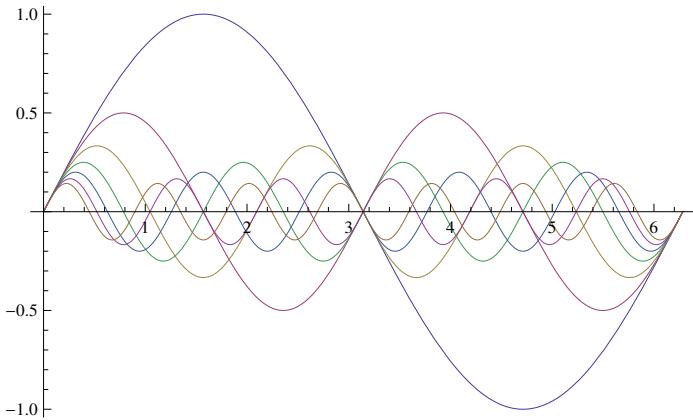
Timing[fibM[1000]]
{0.,
 43466557686937456435688527675040625802564660517371780402481729089536,
 555417949051890403879840079255169295922593080322634775209689623239873,
 322471161642996440906533187938298969649928516003704476137795166849228,
 875}

(* noch 'schneller' ist die MatrixPotenz - Rechnung,
wie in vorangegangener Ueb *)
```

```
(* Funktionen mit eigenen Optionen *)

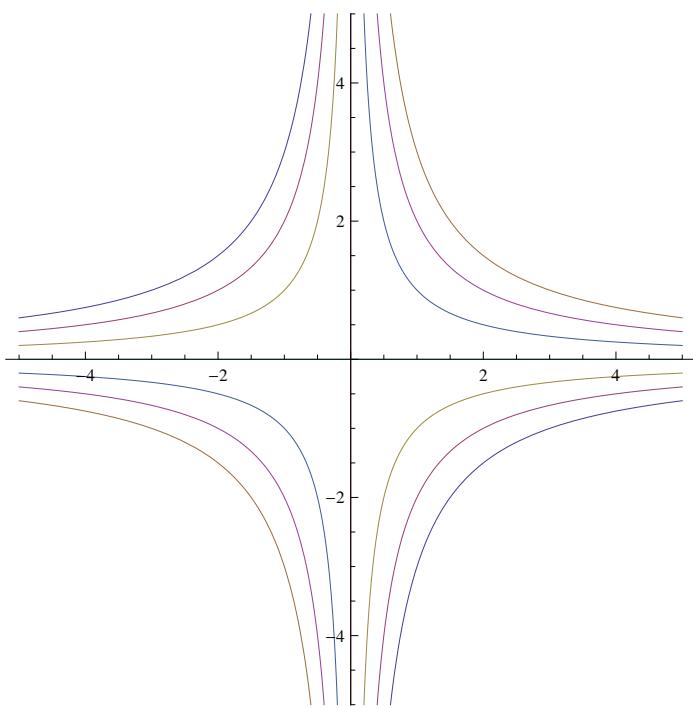
multPlot[func_, list1_List, list2_List] :=
  Plot[Evaluate[Table[func, list1]], list2]

multPlot[Sin[n x] / n, {n, 1, 7}, {x, 0, 2 Pi}]
```



```
multPlot2[func_, list1_List, list2_List, Options___?OptionQ] :=
  Plot[Evaluate[Table[func, list1]], list2, Options]

multPlot2[c/x, {c, -3, 3}, {x, -5, 5}, PlotRange -> {-5, 5}, AspectRatio -> 1]
```



```

allgMat[localOpts___?OptionQ] :=
  myallgMat[{x_#1, #2 &, zeilen, spalten} /. {localOpts} 
    /. {zeilen -> 2, spalten -> 2}]
myallgMat[{f_, z_, s_}] := Table[f[i, j], {i, 1, z}, {j, 1, s}]

MatrixForm /@ {allgMat[], allgMat[spalten -> 5]}
{ \begin{pmatrix} x_{1,1} & x_{1,2} \\ x_{2,1} & x_{2,2} \end{pmatrix}, \begin{pmatrix} x_{1,1} & x_{1,2} & x_{1,3} & x_{1,4} & x_{1,5} \\ x_{2,1} & x_{2,2} & x_{2,3} & x_{2,4} & x_{2,5} \end{pmatrix} }

sehrallgMat[localOpts___?OptionQ] :=
  myallgMat[{f, zeilen, spalten} /. {localOpts} 
    /. {f -> (x_#1, #2 &), zeilen -> 2, spalten -> 2}]

(* Beispiel: Matrix mit Zufallszahlen *)
sehrallgMat[f -> Function[{x, y}, Random[]], zeilen -> 3] // MatrixForm
\begin{pmatrix} 0.162918 & 0.623117 \\ 0.545559 & 0.60417 \\ 0.398436 & 0.321387 \end{pmatrix}

(* Funktionen mit optionalen Parametern *)

potReihe[f_, x_: x, xo_: 0, order_: 6] := Series[f, {x, xo, order}]
potReihe[Sin[x], x]

$$x - \frac{x^3}{6} + \frac{x^5}{120} + O[x]^7$$

potReihe[Sin[x], x, Pi, 3]

$$-(x - \pi) + \frac{1}{6} (x - \pi)^3 + O[x - \pi]^4$$


(* 'bessere' Programmierung ist aber,
Standardwerte als Optionen zu formulieren *)

Clear[potReihe]
Options[potReihe] := {val -> x, value -> 0, order -> 6};

potReihe[f_, Options___?OptionQ] :=
  Series[f, {var, value, order} /. {Options} /. Options[potReihe]];
potReihe[Sin[y], var -> y, order -> 7]

$$y - \frac{y^3}{6} + \frac{y^5}{120} - \frac{y^7}{5040} + O[y]^8$$


```